

7. MacCormack's technique is
- a) implicit, finite difference method b) implicit, finite volume method
 c) explicit, finite difference method d) explicit, finite volume method
8. The approach of observing a moving fluid element from a fixed point in space is called as _____ approach.
9. Find the central second difference of u in y -direction using the Taylor series expansion
- a) $\frac{u_{i,j+1} + 2u_{i,j} + u_{i,j-1}}{(\Delta y)^2}$
 b) $\frac{u_{i,j+1} - 2u_{i,j} + u_{i,j-1}}{(\Delta y)^2}$
 c) $\frac{u_{i,j+1} - 2u_{i,j} - u_{i,j-1}}{(\Delta y)^2}$
 d) $\frac{u_{i,j+1} + 2u_{i,j} - u_{i,j-1}}{(\Delta y)^2}$
10. The time rate of change of the volume of a moving fluid element per unit volume is _____

Section B

Five Questions of 02 Marks each

[2x5=10]

11. Write steps involved in modelling of the flow.
12. Explain Lagrangian approach in fluid dynamics.
13. Explain substantial derivative and write the notation for it.
14. What do you understand by finite control volume?
15. Evaluate $\int_1^5 \frac{1}{x} dx$ using Simpson's one third rule.

Section C

Answer any 05 questions

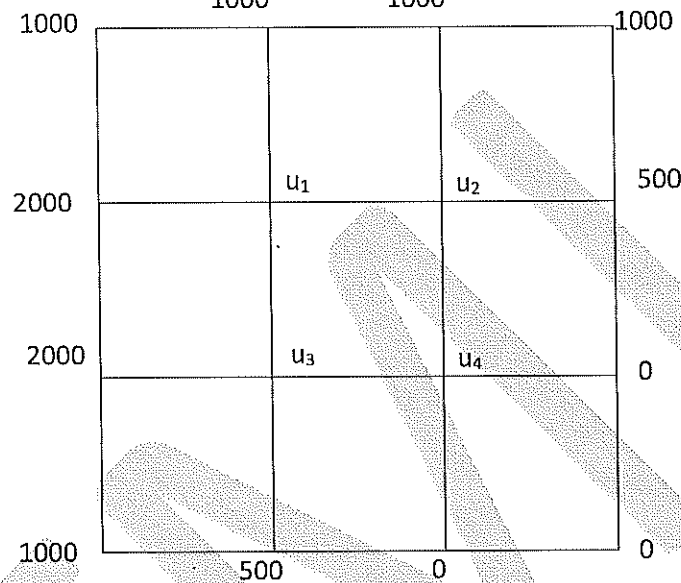
[10x5=50]

16. Derive Navier-Stokes equation in conservation form.
17. Derive the non-conservation form of the energy equation.
18. (a) Apply Runge-Kutta fourth order method to find an approximate value of y when $x = 0.2$ given that $dy/dx = x + y$ and $y = 1$ when $x = 0$.
 (b) Explain in detail about the divergence of velocity?
19. (a) Derive integral form of the continuity equation with Eulerian approach.
 (b) Define CFD with its applications. What are its advantages?

20. Apply Du Fort and Frankel method on parabolic partial differential equation and show difference scheme for both.

21. Find the solution of the initial boundary value problem: $\frac{\partial^2 u}{\partial t^2} = \frac{\partial^2 u}{\partial x^2}$, $0 \leq x \leq 1$; subject to the initial conditions $u(x,0) = \sin \pi x$, $0 \leq x \leq 1$, $\left(\frac{\partial u}{\partial t}\right)(x,0) = 0$, $0 \leq x \leq 1$ and the boundary conditions $u(0,t) = 0$, $u(1,t) = 0$, $t > 0$; by using in the (i) explicit scheme, (ii) implicit scheme.

22. Given the values of $u(x,y)$ on the boundary of the square in the figure shown.



Evaluate the function $u(x,y)$ satisfying the Laplace equation $\nabla^2 u = 0$ at the pivotal points of this figure by (a) Jacobi's method and (b) Gauss Seidal method.

